

Predictable Price Pressure

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Price impact of increased demand

- When more people attempt to exchange \$20 bills for strawberries, the price of strawberries increases
- When more people attempt to exchange \$20 bills for \$100 bills, the price of \$100 bills (in \$20 bills) stays the same
- What do we predict when more people attempt to exchange \$20 bills for shares of stocks?
 - Is the stock market like \$100 bills? a stream of agreed-upon future cash flows of well-understood value?
 - Is the stock market like strawberries? more people arriving to the market with \$20 bills influences its price?

What does finance theory predict?

- State of literature a bit puzzling
- Textbook finance: The stock market is like a \$100 bill
 - EMH: Prices move due to information
 - Predictable uninformed shifts in demand don't impact price
 - General equilibrium models: Minimal effect
 - A positive, but economically negligible increase in prices
- Investor known to have no private info, should be able to buy or sell any amount at current price

Price Pressure

- But: price pressure <u>can</u> move prices
 - Non-fundamental demand moves prices in some settings
- Difficult to directly test for price pressure
 - Trading shifts prices with possibility of private information
- Price pressure demonstrated using unusual events to rule out informed trading, typically for single name stocks
 - Index Additions Shleifer (1986); Harris and Gurel (1986), others Institutional demand Koijen and Yogo (2019); Ben-David, Li, Rossi & Song (2021) Fire sales Coval Stafford, Lou (2012) Exdates Hartzmark and Solomon (2013) Uninformed advisor Da, Larrain, Sialm and Tessada (2018) Aggregated institutional demand Koijen and Gabaix (2020)
- o But how important is price pressure in common settings?
 - The general assumption is its absence, if it is not the focus

The setting where price pressure is *least* likely to occur

- Flows of money are uninformed and exogenous
- Flows are predictable in timing and amount
 - Thus ought to be understood as uninformed
- Flows are recurring normal event
 - Traders have many opportunities to learn
 - It's the standard business of liquidity providers
- Test assets are the deepest and most liquid available

If you *still* find price pressure in such a setting, there's a good claim it is the reasonable null hypothesis

Price pressure from dividend payments

- This paper: Predictable buying due to dividend payments
- Investors are sent cash and predictably use some of it to invest in the market
- Dividend Payment known ~40 days prior
 - No economic news and happens all the time
- Predictable demand shift in both timing and amount
 - Ought to be understood as uninformed by market
- Are daily market returns higher when dividend payments are higher?

Paper in one picture



Results

- Predictable buying: Market higher when dividends paid
 - Market Returns: 18 bp on top 5 days; 10 bp on top 50
 - Stronger with greater predictable reinvestment, higher VIX, more recent years, and similar international
 - No short term (1 month) reversal
 - Longer (annual) cross-sectional partial reversal (~30 bp monthly)
 - Multiplier estimates: ~1.5-2.3 per dollar invested

- Predictable selling: Lower returns when stocks expensed
 - ~100 bp over four days for highest expense firms

Dividend payments

- Announcement date (~43 days before payment)
 - Amount and other details announced Legal obligation
 - All economic news related to dividend becomes public
- Ex-date (~22 days before payment)
 - First day stock trades without receiving dividend
 - All tax or catering motives from dividend resolved
- o Payment date
 - Date cash is disbursed: No economically relevant news
- ~90% of trading days involve dividend payout

$Mkt_{t} = \alpha + \beta_{0}DY_{t} + \beta_{1}DY_{t-1} + \beta_{2}DY_{t-2} + \beta_{3}DY_{t-3} + \beta_{4}DY_{t-4}$

	Value Weighted			
	(1)	(2)	(3)	(4)
Mkt Div Pay[t-1,t]			59.50^{***} (3.32)	67.07^{***} (3.47)
Mkt Div Pay[t]	55.76^{*} (1.74)	74.85^{**} (2.26)		
Mkt Div Pay[t-1]	60.04^{***} (2.73)	71.98^{***} (3.10)		
Mkt Div Pay[t-2]	23.59 (0.98)	35.98 (1.43)		
Mkt Div Pay[t-3]	14.56 (0.50)	(25.73) (0.85)		
Mkt Div Pay[t-4]	(0.00) 53.96^{*} (1.89)	(0.00) 66.66^{**} (2.32)		
$\begin{array}{c} \text{YM FE} \\ \text{R}^2 \end{array}$	No 0.00105	Yes 0.0503	No 0.000700	Yes 0.0498
Observations	24534	24534	24537	24537

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$\begin{aligned} Mkt_t &= \alpha + \beta_0 DY_t + \beta_1 DY_{t-1} + \beta_2 DY_{t-2} + \beta_3 DY_{t-3} + \beta_4 DY_{t-4} \\ \\ \text{LHS: CRSP daily value-weighted market returns} \end{aligned}$

	Value Weighted			
	(1)	(2)	(3)	(4)
Mkt Div Pay[t-1,t]			59.50^{***} (3.32)	67.07^{***} (3.47)
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Mkt Div Pay[t-4]	53.96^{*}	66.66^{**}		
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YM FE	No	Yes	No	Yes
\mathbb{R}^2	0.00105	0.0503	0.000700	0.0498
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$Mkt_{t} = \alpha + \beta_{0}DY_{t} + \beta_{1}DY_{t-1} + \beta_{2}DY_{t-2} + \beta_{3}DY_{t-3} + \beta_{4}DY_{t-4}$

RHS: Dividend payment

All dividends paid divided by prior day market cap

	Value Weighted			
	(1)	(2)	(3)	(4)
Mkt Div Pay[t-1,t]			59.50^{***} (3.32)	67.07^{***} (3.47)
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Mkt Div Pay[t-3]	$\begin{array}{c}(0.98)\\14.56\end{array}$	$(1.43) \\ 25.73$		
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\mathbb{R}^2	0.00105	0.0503	0.000700	0.0498
Observations	24534	24534	24537	24537

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Strong positive effect on payment date (t) and prior day (t-1)

		Value Weighted			
	(1)	(2)	(3)	(4)	
Mkt Div Pay[t-1,t]			59.50^{***} (3.32)	67.07^{***} (3.47)	
Mkt Div Pay[t]	55.76^{*}	74.85**			
	(1.74)	(2.26)			
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	(2.73)	(3.10)			
Mkt Div Pay[t-2]	23.59	35.98			
	(0.98)	(1.43)			
Mkt Div Pay[t-3]	14.56	25.73			
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Mkt Div Pay[t-4]	53.96^{*}	66.66^{**}			
	(1.89)	(2.32)			
YM FE	No	Yes	No	Yes	
\mathbb{R}^2	0.00105	0.0503	0.000700	0.0498	
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Weakly positive effects continue throughout the week

	Value Weighted			
	(1)	(2)	(3)	(4)
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Mkt Div Pay[t-3]	14.56	25.73		
	(0.50)	(0.85)		
Mkt Div Pay[t-4]	53.96^{*}	66.66^{**}		
	(1.89)	(2.32)		
YM FE	No	Yes	No	Yes
\mathbb{R}^2	0.00105	0.0503	0.000700	0.0498
Observations	24534	24534	24537	24537

Note: *t-4* effect largely from early sample periods

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Predictable Price Pressure

Are results driven by d/p predicting market returns?

	Value Weighted			
	(1)	(2)	(3)	(4)
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Mkt Div Pay[t-1]	60.04^{***}	71.98^{***}		
	(2.73)	(3.10)		
Mkt Div Pay[t-2]	23.59	35.98		
	(0.98)	(1.43)		
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	(1.89)	(2.32)		
YM FE	No	Yes	No	Yes
\mathbb{R}^2	0.00105	0.0503	0.000700	0.0498
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Probably not: YM FE yields stronger results

Also controls for calendar month effects

		Value Weighted			
	(1)	(2)	(3)	(4)	
Mkt Div Pay[t-1,t]			59.50^{***} (3.32)	67.07^{***} (3.47)	
Mkt Div Pay[t]	55.76^{*} (1.74)	74.85^{**} (2.26)	~ /		
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Mkt Div Pay[t-3]	(0.56) 14.56 (0.50)	(1.13) 25.73 (0.85)			
Mkt Div Pay[t-4]	(0.50) 53.96^{*} (1.89)	(0.05) 66.66^{**} (2.32)			
YM FE	No	Yes	No	Yes	
R ⁻ Observations	24534	0.0503 24534	24537	0.0498 24537	

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Analysis focuses on Market Div Payment[t-1,t]

Payment date and day prior seem to be main drivers

	Value Weighted			
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	(1.89)	(2.32)		
YM FE	No	Yes	No	Yes
\mathbb{R}^2	0.00105	0.0503	0.000700	0.0498
Observations	24534	24534	24537	24537

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Magnitude: 1 SD of Div Pay -> 3.2 bp higher returns

	Value Weighted			
	(1)	(2)	(3)	(4)
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YM FE	No	Yes	No	Yes
\mathbb{R}^2	0.00105	0.0503	0.000700	0.0498
Observations	24534	24534	24537	24537

78% higher market returns (4.1 bp average)

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Are results capturing attribute of dividend paying firms on payment day?

Repeat analysis on firms that did <u>NOT</u> pay dividends

	(1)	(2)
Mkt Div Pay[t-1,t]	57.39***	65.12^{***}
	(3.16)	(3.34)
YM FE	No	Yes
Value Weight	Yes	Yes
Equal Weight	No	No
\mathbb{R}^2	0.000644	0.0494
Observations	24537	24537

Results driven by firms that did not pay dividend

Consistent with minimal reinvestment Hartzmark and Solomon 2019

	(1)	(2)
Mkt Div Pay[t-1,t]	57.39***	65.12***
	(3.16)	(3.34)
YM FE	No	Yes
Value Weight	Yes	Yes
Equal Weight	No	No
\mathbb{R}^2	0.000644	0.0494
Observations	24537	24537

Are results capturing day-to-day fluctuation in market price?

	Value Weighted	
	(1)	(2)
Market Abnormal Div[t-1,t]	0.00698^{***} (3.39)	0.00786^{***} (3.58)
YM FE	No	Yes
\mathbb{R}^2	0.000499	0.0497
Observations	24266	24266

Abnormal dividend: Payment relative to

prior year daily average (skipping prior month)

	Value Weighted		
	(1)	(2)	
Market Abnormal Div[t-1,t]	0.00698^{***} (3.39)	0.00786^{***} (3.58)	
YM FE	No	Yes	
\mathbb{R}^2	0.000499	0.0497	
Observations	24266	24266	

Similar results using abnormal dividend measure

Daily market price variation doesn't account for results

	Value V	Value Weighted		
	(1)	(2)		
Market Abnormal Div[t-1,t]	0.00698*** (3.39)	$ \begin{array}{c} 0.00786^{***} \\ (3.58) \end{array} $		
YM FE	No	Yes		
\mathbb{R}^2	0.000499	0.0497		
Observations	24266	24266		



Examine days with large payments (relative to prior year)

Ex-ante knowable and tradable

 $Mkt_t = \alpha + \beta(Top X Days)$

	Top 5 Days			Top 50 Days	
Top Days	0.128***	0.143***	0.0482	0.0593***	
	(2.99)	(3.23)	(3.34	(3.93)	
YM FE	No	Yes	No	Yes	
Value Weight	Yes	Yes	Yes	s Yes	
Equal Weight	No	No	No	No	
\mathbf{R}^2	0.000516	0.0497	0.0004	164 0.0497	
Observations	24287	24287	2428	24287	

Big dividend payment days

14 bp higher returns if in top 5 days

6 bp higher returns if in top 50 days

	Top 5 Days		Top	50 Days
Top Days	0.128^{***} (2.99)	0.143^{***} (3.23)	0.0482^{***} (3.34)	0.0593^{***} (3.93)
YM FE	No	Yes	No	Yes
Value Weight	Yes	Yes	Yes	Yes
Equal Weight	No	No	No	No
\mathbb{R}^2	0.000516	0.0497	0.000464	0.0497
Observations	24287	24287	24287	24287

\$1 investment on big dividend payment days

- Red: Market if payment[t,t-1] top 50; rf otherwise
- Blue: Market if payment[t,t-1] NOT top 50; rf otherwise

\$1 investment on big dividend payment days

- o Values as of 2020
 - High days: \$1,849; Other days: \$56

Additional Results

- Results not driven by known calendar predictability
 - Results hold with day of the week & turn of the month FE Lakonishok and Smidt 1988
 - Note: Monthly patterns already controlled for
- Results not driven by macro announcements
 - Results hold controlling for FOMC announcements Lucca and Moench 2015
 - Results hold controlling for other macro announcements
 Savor and Wilson 2013
- Results stronger when liquidity lower (VIX higher)

Are results unique to the US?

Run analysis on 58 international markets

	(1)	(2)	(3)	(4)
Mkt Div Pay[t-1,t]	20.30^{**}	30.21^{***}	22.65^{***}	26.89^{***}
	(2.19)	(5.59)	(3.02)	(4.50)
Country YM FE	No	Yes	No	Yes
Date	No	No	Yes	Yes
\mathbb{R}^2	0.0000330	0.0611	0.268	0.309
Observations	237185	237070	236775	236660

Similar (slightly smaller) effect to US

	(1)	(2)	(3)	(4)
Mkt Div Pay[t-1,t]	20.30^{**}	30.21^{***}	22.65^{***}	26.89^{***}
	(2.19)	(3.59)	(3.02)	(4.50)
Country YM FE	No	Yes	No	Yes
Date	No	No	Yes	Yes
R ²	0.0000330	0.0611	0.268	0.309
Observations	237185	237070	236775	236660

Effect similar after controlling for date FE

Variation across markets from dividend on same date

	(1)	(2)	(3)	(4)
Mkt Div Pay[t-1,t]	20.30^{**} (2.19)	30.21^{***} (3.59)	22.65^{***} (3.02)	26.89^{***} (4.50)
Country YM FE	No	Yes	No	Yes
Date	No	No	Yes	Yes
\mathbb{R}^2	0.0000330	0.0611	0.268	0.309
Observations	237185	237070	236775	236660

When are dividends predictably reinvested?

- Price pressure should vary based on the amount of reinvestment of the dividend payment
- o If an investor needs cash there's no reason to reinvest
- Investor such as mutual funds and ETFs likely account for most reinvestment
 - Retail investors don't generally reinvest dividends
- When do mutual funds and ETFs predictably need cash?
 - When they predictably need to send it to investors

When do funds distribute payouts?

Average fraction of annual payout occurring each month

When do funds distribute payouts?

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Re-run regression separately for each quarter of the year

	(1)	(2)
Q1*Mkt Div Pay	134.8**	
	(2.40)	
Q2*Mkt Div Pay	54.92^{*}	
	(1.68)	
Q3*Mkt Div Pay	73.78**	
	(2.44)	
Q4*Mkt Div Pay	12.01	
	(0.35)	
Not December*Mkt Div Pay		82.91***
		(3.89)
December*Mkt Div Pay		-48.92
		(-1.25)
YM FE	Yes	Yes
\mathbb{R}^2	0.0501	0.0501
Observations	24537	24537

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Returns throughout the year

Strongest effect occurs at beginning of the year (Q1)

	(1)	(2)
Q1*Mkt Div Pay	134.8^{**}	
	(2.40)	
Q2*Mkt Div Pay	54.92^{*}	
0.9*Ml+ D: D	(1.68)	
Q3*MKt Div Pay	(3.18^{-1})	
O4*Mlst Div Dov	(2.44)	
Q4 MIKt DIV Fay	(0.35)	
Not December*Mkt Div Pay	(0.00)	82.91***
		(3.89)
December*Mkt Div Pay		-48.92
		(-1.25)
YM FE	Yes	Yes
\mathbb{R}^2	0.0501	0.0501
Observations	24537	24537

Returns throughout the year

Weakest effect occurs at end of the year (Q4)

	(1)	(2)
Q1*Mkt Div Pay	134.8^{**}	
	(2.40)	
Q2*Mkt Div Pay	54.92*	
OP*ML (D: D	(1.68)	
Q3*Mkt Div Pay	(3.78^{**})	
Q4*Mkt Div Pav	(2.44) 12.01	
qi mi bir i ay	(0.35)	
Not December*Mkt Div Pay		82.91***
		(3.89)
December*Mkt Div Pay		-48.92
		(-1.25)
YM FE	Yes	Yes
\mathbb{R}^2	0.0501	0.0501
Observations	24537	24537

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- Recent periods have seen dramatic growth in investment vehicles likely to reinvest dividends quickly
 - For example mutual funds and ETFs
- Expect patterns to become more pronounced as these products become more popular
- Run analysis separately each decade and plot coefficients

Time series variation

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Every decade has a positive coefficient on dividend payment

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Time series variation

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1990s onward: Shift towards mutual funds and ETFs

3 largest coefficients, each above 100

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- Do the results represent a permanent or transitory increase in price?
 - Initial regressions suggest no reversal in the first week

• Re-run analysis examining the 4 weeks following dividend payment

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Reversals

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Reversals

No reversal in next 3 weeks (+7 avg coefficient)

Consistent with more reinvestment or permanent impact

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Selling pressure

- Predictable selling pressure should have a similar effect
 - Focus on buying pressure because of identification
 - Turn to cross-section to demonstrate influence of predictable selling
- Predictable selling based on stock compensation
 - Employees receiving stock have incentives to sell ASAP
 - Companies have blackout periods where employees can't sell usually lifted after earnings announcement
- Are returns lower after blackout periods for firms with higher stock compensation?

Selling pressure

Selling pressure

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Were graphs capturing news from earnings announcement? Use stale data from the prior quarter

	(1)	(2)	(3)	(4)
	(t=0, t+3)	$(t{+}1, t{+}3)$	$(t{+}4, t{+}10)$	$(t{+}4, t{+}20)$
Stock Expense $>0-80$ Pctile	-0.184***	-0.00182	-0.0112	0.0301
	(-3.69)	(-0.05)	(-0.27)	(0.50)
Stock Expense 80-90 Pctile	-0.332***	-0.101	0.238^{***}	0.0965
	(-2.93)	(-1.36)	(2.70)	(0.76)
Stock Expense 90-95 Pctile	-0.774^{***}	-0.236**	0.152	0.477^{**}
	(-4.83)	(-2.04)	(1.19)	(2.37)
Stock Expense 95-100 Pctile	-1.165^{***}	-0.875***	0.455^{**}	0.924^{**}
	(-5.50)	(-5.77)	(2.06)	(2.46)
Constant	0.0987^{**}	-0.0500	0.0819**	0.0465
	(2.24)	(-1.34)	(2.03)	(0.79)
t=0 Return	No	Yes	Yes	Yes
\mathbb{R}^2	0.000453	0.000656	0.000289	0.000458
Observations	300456	300473	299789	298274

Funds with more expenses have lower returns post blackout Over 75 bp above 90th pctile in 4 days based on stale data

	(1)	(2)	(3)	(4)
	$(t{=}0, t{+}3)$	$(t{+}1, t{+}3)$	(t+4, t+10)	(t+4, t+20)
Stock Expense $>0-80$ Pctile	-0.184***	-0.00182	-0.0112	0.0301
	(-3.69)	(-0.05)	(-0.27)	(0.50)
Stock Expense 80-90 Pctile	-0.332***	-0.101	0.238***	0.0965
	(-2.93)	(-1.36)	(2.70)	(0.76)
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	(-5.50)	(-5.77)	(2.06)	(2.46)
Constant	0.0987	-0.0500	0.0819^{**}	0.0465
	(2.24)	(-1.34)	(2.03)	(0.79)
t=0 Return	No	Yes	Yes	Yes
\mathbb{R}^2	0.000453	0.000656	0.000289	0.000458
Observations	300456	300473	299789	298274

Multiplier

- How much does \$1 of investment shift market cap?
- Gabaix and Koijen (2020) get numbers around 5
- We know dollars *available* to be reinvested, but need estimate of actual proportion reinvested
 - With 100% reinvestment multiplier is 0.67 (coefficient)
- Use Fed data on investor group sizes and estimate reinvestment rates
- Multiplier estimates of 1.5-2.3
 - Estimates of aggregate reinvestment from 30%-46%

Assessing the Multiplier

- o Multipliers of 1.5-2.3
 - Above 1: at odds with most models
- Smaller than Gabaix and Koijen (2020) estimates of ~5
 - Different methodology institutional demand from granular instrumental variables vs dividend reinvestment

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- Impact of dividend flows are large and puzzling in Gabaix and Koijen (2020) model
 - Dividend flows are *predictable*. Gabaix and Koijen (2020) predicts large magnitudes for unanticipated flows

Implications

- Results suggest price pressure is plausible null hypothesis
 - Found in setting market most likely to get it "right"
- Provides "half" a theory
 - Doesn't explain demand shifts: why people have different valuations / willingness to pay for assets
- Makes predictions in settings where textbook models struggle to provide meaningful insight
 - Where fundamental value is absent or trade is based on non-fundamental motives

So what?

- Understanding trading dynamics is a key component of understanding asset prices
- Predicting flows (even uninformed) can help predict returns
 - E.g. ESG based flows, index rebalancing, demographic changes, Fed influence, 401k deposits...
- Effects can have an impact even for the aggregate market
- A tool to explain situations where fundamental value is absent or hard to define
 - E.g crypto, meme stocks...

Conclusion

- Examine settings where the market has the *best* chance of behaving consistent with textbook theories
 - Predictability of trades in most liquid assets gives arbitrageurs the best chance of offsetting impact
- Predictable buying and selling predicts returns
- Suggests price pressure is a reasonable null hypothesis
 - Price pressure is a potential explanation for many phenomena that are puzzles under standard finance theory
- Understanding *why* is of great interest